

LAB 1, PART 1: INTRODUCTION AND MOTIVATION



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### COURSE OVERVIEW

- Lab 1: Gradient Descent vs Stochastic Gradient Descent, and the Effects of Batch Size
- Lab 2: Multi-GPU DL Training Implementation using DistributedDataParallel (DDP)
- Lab 3: Algorithmic Concerns for Training at Scale

COURSE AGENDA

# **10:00-10:15** Introduction

10:15-11:15 Neural Network Training and Stochastic Gradient Descent

11:30-12:30 Neural Network Training and Intro to

11:15-11:30 *Coffee Break* 

Parallel Training

12:30-13:30 *Lunch Break* 

**13:30-15:00** Data Parallelism using Pytorch DDP

15:00-15:15 *Coffee break* 

**15:15-16:45** Challenges of Data Parallel using Multiple GPUs

**16:45-17:00** Q&A, Final Remarks

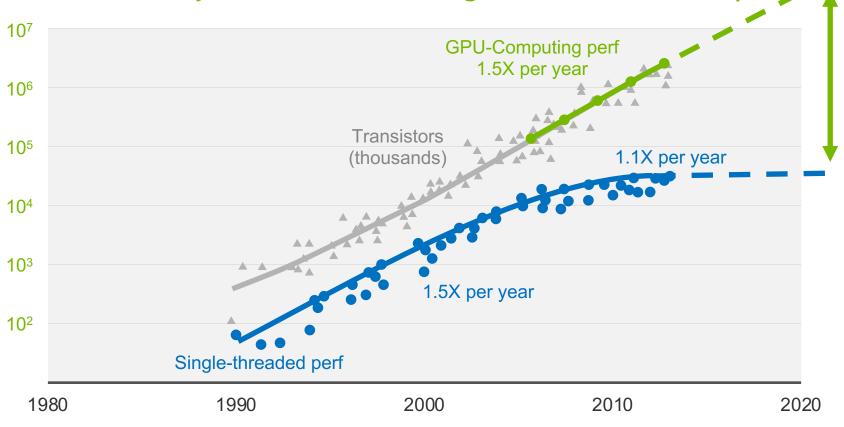
### LAB 1 OVERVIEW

- Part 1: Gradient Descent
- Part 2: Stochastic Gradient Descent
- Part 3: Optimizing training with batch size

## CONTEXT: WHY USE MULTIPLE GPUS?

### TRENDS IN COMPUTATIONAL POWER

Historically we never had large datasets or compute





1000X

By 2025

### TRENDS IN COMPUTATIONAL POWER

2 PF/s in November 2009



### TRENDS IN COMPUTATIONAL POWER

32 PF/s today

8x NVIDIA H100 GPUs With 640 Gigabytes of Total GPU Memory

18x NVIDIA NVLink connections per GPU

900 gigabytes per second of bidirectional GPU-to-GPU bandwidth

24 TB/s memory bandwidth

4x NVIDIA NVSwitches

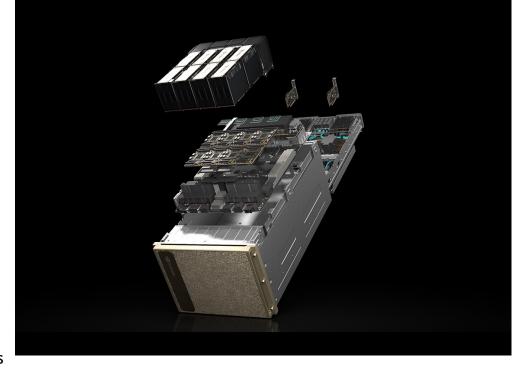
7.2 terabytes per second of bidirectional GPU-to-GPU bandwidth

10x NVIDIA ConnectX-7 400 Gigabits-Per-Second Network Interface

1 terabyte per second of peak bidirectional network bandwidth

Dual x86 CPUs and 2 Terabytes of System Memory

Powerful CPUs and massive system memory for the most intensive AI jobs



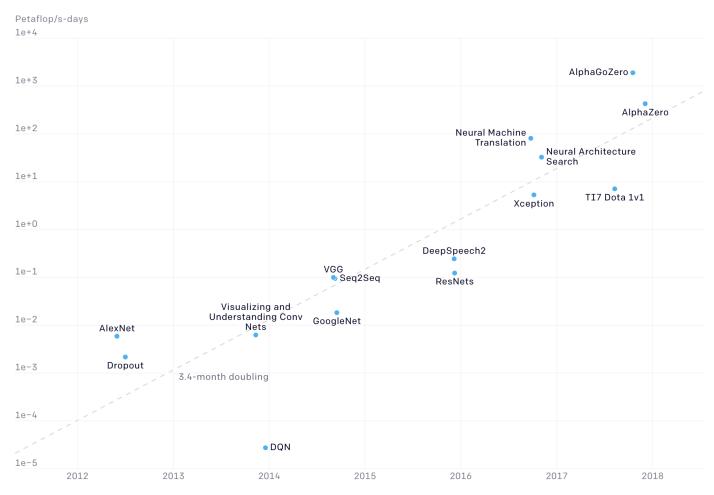
**NVIDIA DGX H100** 

32 petaFLOPS AI performance



### **NEURAL NETWORK COMPLEXITY IS EXPLODING**

AlexNet to AlphaGo Zero: A 300,000x Increase in Compute (Log Scale)

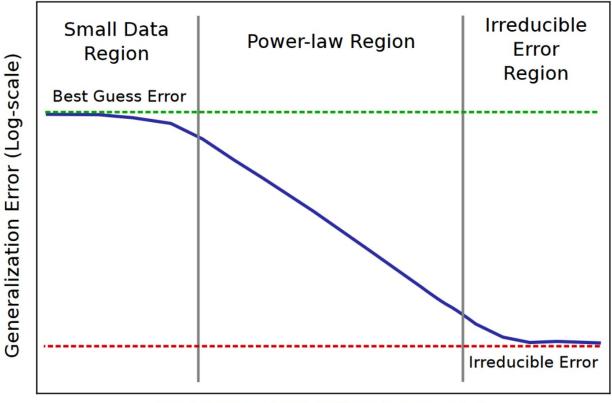


Source: OpenAl

# 1000 PETAFLOP/S-DAYS ---O(100 YEARS) ON A DUAL CPU SERVER OR O(30 DAYS) DGX H100

### **EXPLODING DATASETS**

Power-law relationship between dataset size and accuracy

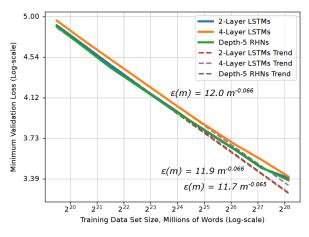


Training Data Set Size (Log-scale)



### **EXPLODING DATASETS**

### Power-law relationship between dataset size and accuracy



 $\varepsilon(m) = 0.95 \, \text{m}^{-0.30}$ 

128

Training Data Set Size, Hours of Audio (Log-scale)

256

— DS2

 $\varepsilon(m) = 1.36 \text{ m}^{-0.30}$ 

Attention

--- Attention Trend

512 1024 2048

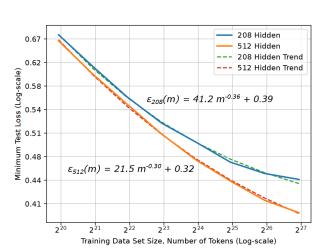
0.78

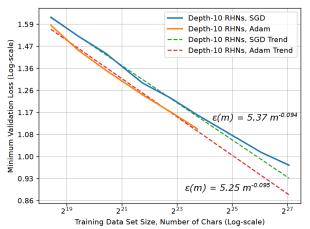
0.37

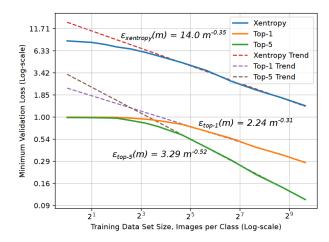
0.18

0.11

- Translation
- Language Models
- Character Language Models
- Image Classification
- Attention Speech Models





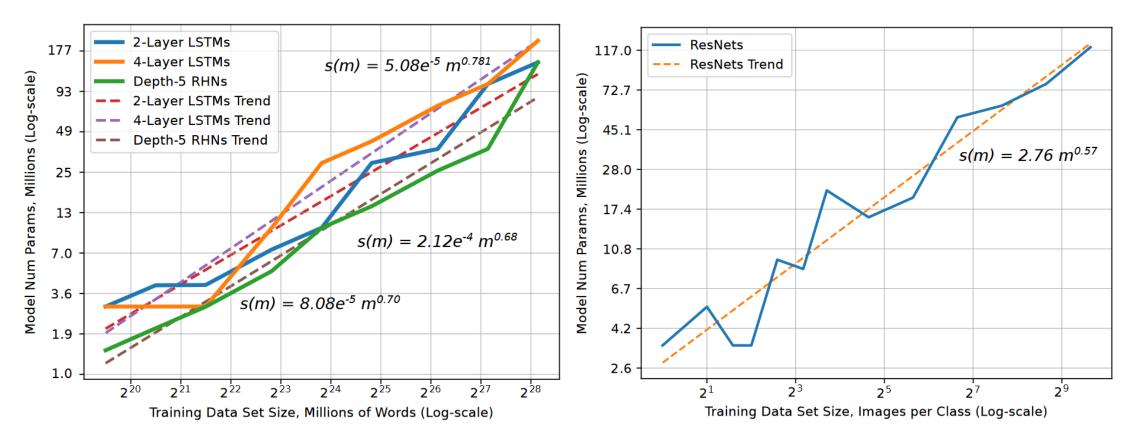




Hestness, J., et al. (2017). Deep Learning Scaling is Predictable, Empirically. arXiv: 1712.00409

### EXPLODING MODEL COMPLEXITY

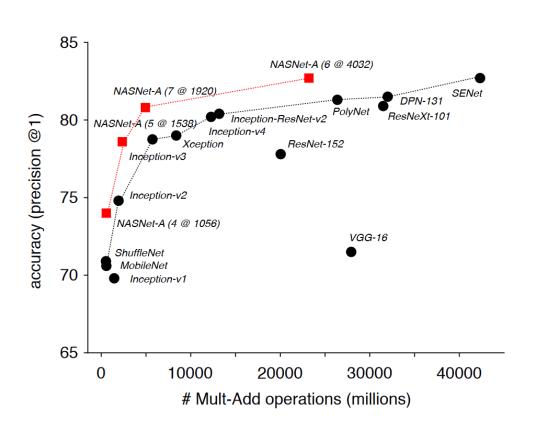
### Though model size scales sublinearly

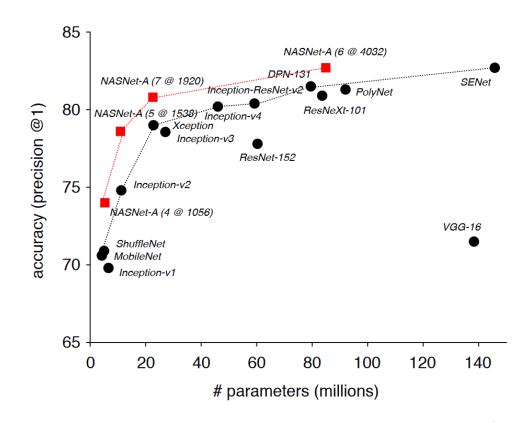




### EXPLODING MODEL COMPLEXITY

### Though model size scales sublinearly









### **IMPLICATIONS**

### Good and bad news

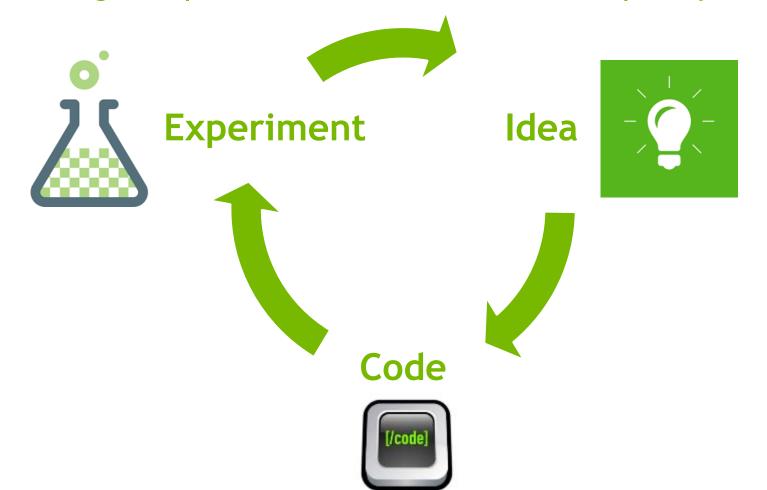
- The good news: Requirements are predictable.
  - We can predict how much data we will need.
  - We can predict how much computing power we will need.

- The bad news: The values can be significant.
  - The silver lining is that deep learning has taken impossible problems and made them merely expensive.



### **IMPLICATIONS**

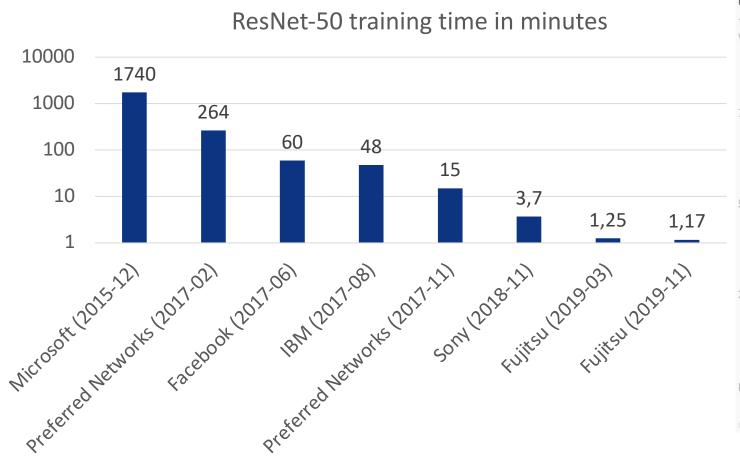
Deep learning is experimental; we need to train quickly to iterate

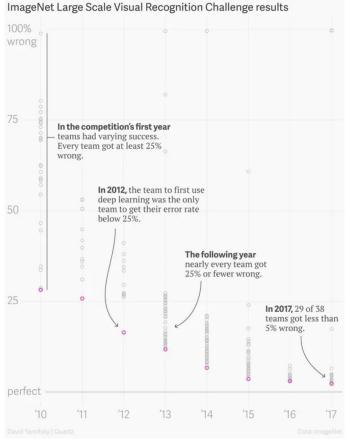




### **ITERATION TIME**

### Short iteration time is fundamental for success



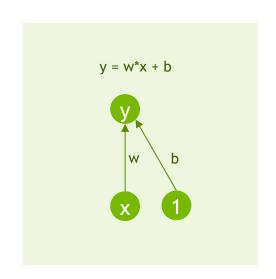


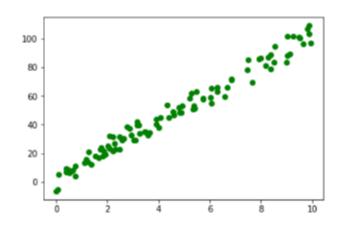


# INTRO TO THE LAB

### STARTING WITH A LINEAR MODEL

Our goal is to find best model parameters (combination of w and b) to fit the data









LAB 1, PART 2: MORE REALISTIC NETWORKS



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### MODERN NEURAL NETWORKS

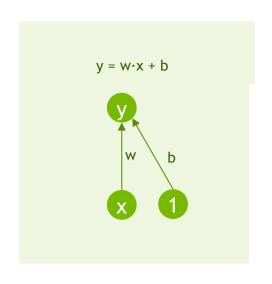
How do they differ from our trivial example?

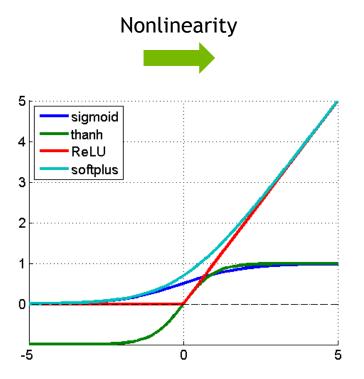
Not significantly!

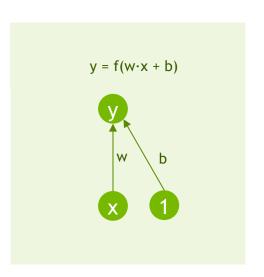


### MODERN NEURAL NETWORKS

### How do they differ from our trivial example?



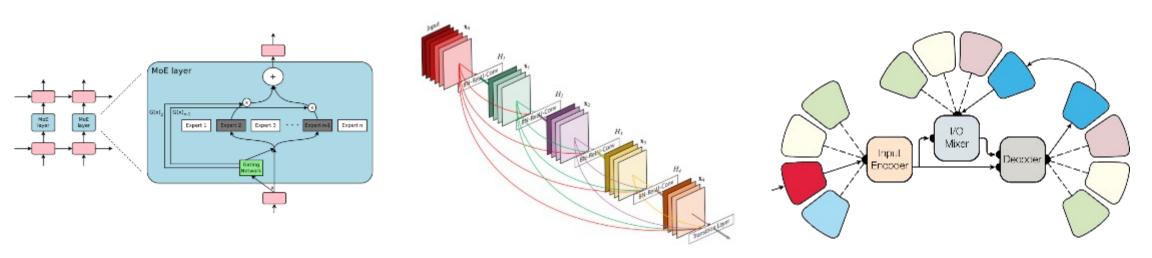




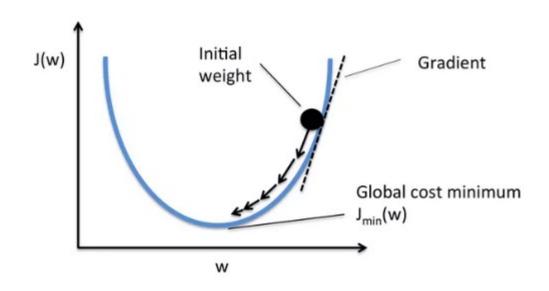
### MODERN NEURAL NETWORKS

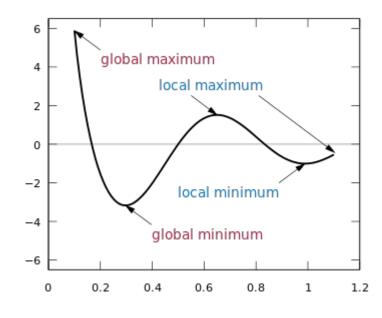
### How do they differ from our trivial example?

### More complex interconnection and many more parameters



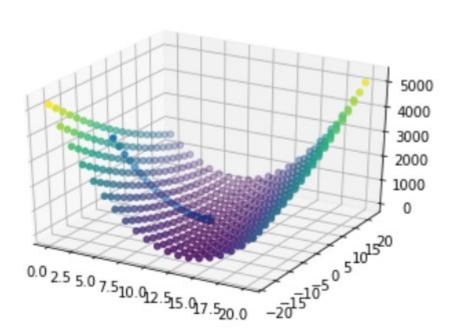
Those differences make the optimization problem much more difficult



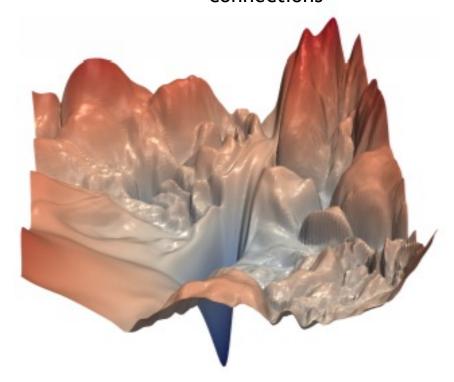


### Those differences make the optimization problem much more difficult

Linear model loss function



ResNet-56 loss function projection to 3D - no skip connections

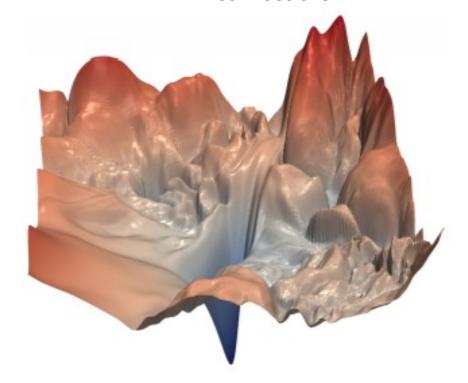


Li, H., Xu, Z., Taylor, G., & Goldstein, T. (2017). Visualizing the Loss Landscape of Neural Nets. <u>arXiv:1712.09913</u>.

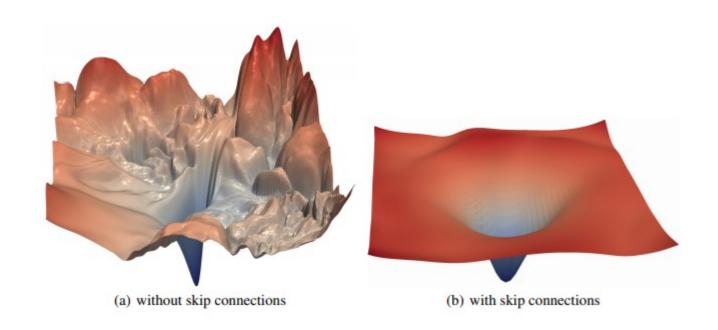
Those differences make the optimization problem much more difficult

ResNet-56 loss function projection to 3D - no skip connections

Why do we succeed in finding good local minima?



Recent advances such as residual connections simplify optimization





LAB 1 CONCLUSION: DATA AND MODEL PARALLELISM





### DATA PARALLELISM

Focus of this course

How can we take advantage of multiple GPUs to reduce the training time?



### DATA VS MODEL PARALLELISM

### Comparison

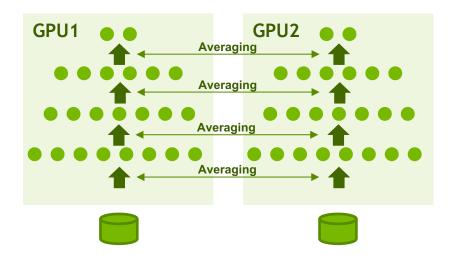
- Data Parallelism
  - Allows you to speed up training
  - All workers train on different data
  - All workers have the same copy of the model
  - Neural network gradients (weight changes) are exchanged

- Model Parallelism
  - Allows you to use a bigger model
  - All workers train on the same data
  - Parts of the model are distributed across GPUs
  - Neural network activations are exchanged

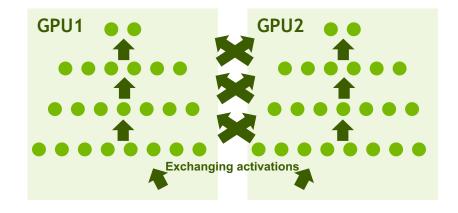
### DATA VS MODEL PARALLELISM

### Comparison

Data Parallelism



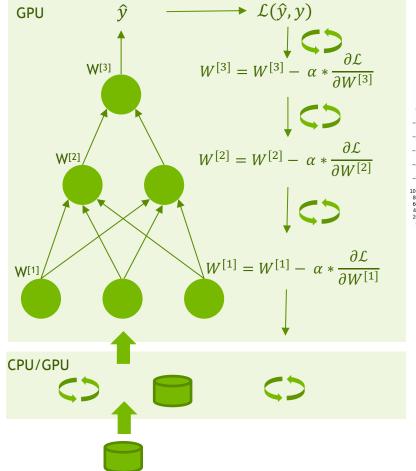
Model Parallelism

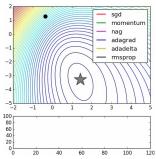




### TRAINING A NEURAL NETWORK





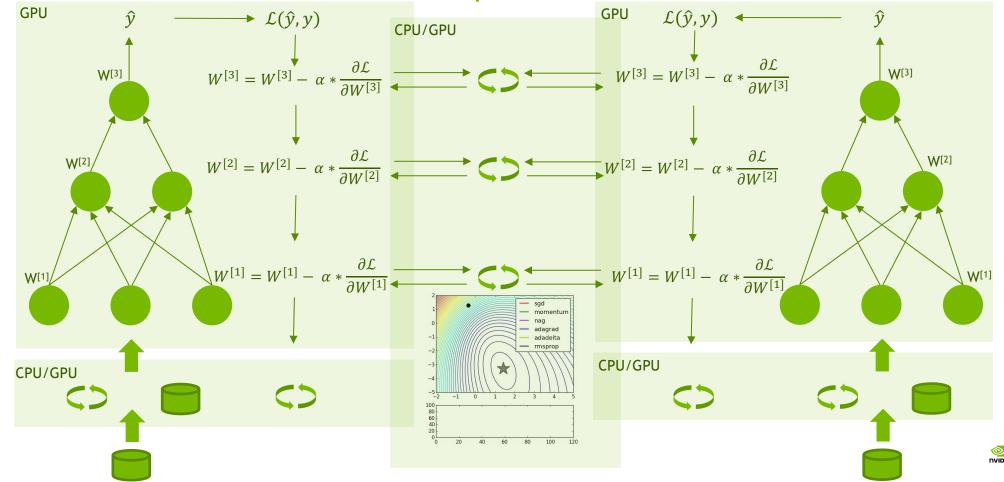


- 1. Read the data
- 2. Transport the data
- 3. Pre-process the data
- 4. Queue the data
- 5. Transport the data
- 6. Calculate activations for layer one
- 7. Calculate activations for layer two
- 8. Calculate the output
- Calculate the loss
- 10. Backpropagate through layer three
- 11. Backpropagate through layer two
- 12. Backpropagate through layer one
- 13. Execute optimization step
- 14. Update the weights
- 15. Return control

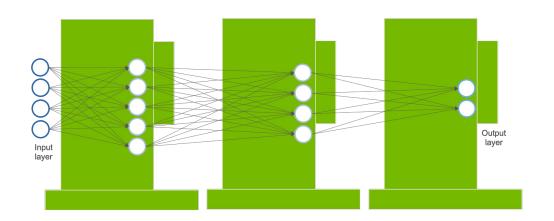


### TRAINING A NEURAL NETWORK

Multiple GPUs



### PARALLEL/DISTRIBUTED ML TRAINING



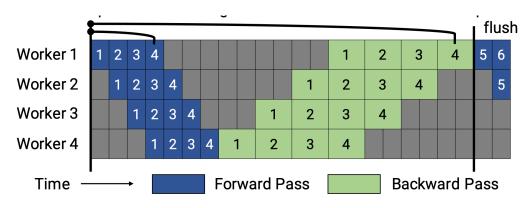
1. Model Parallelism: Memory usage and computation of a model distributed across devices

Two main variants:

- a) Pipeline parallelism
- b) Tensor parallelism

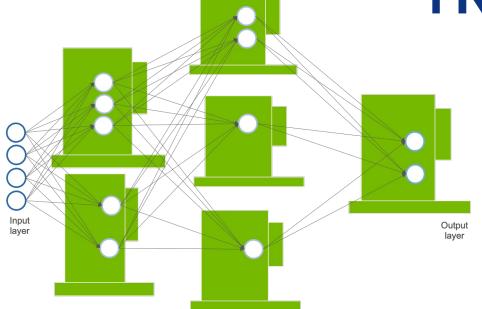
### **Pipeline Model**

- Complete layer per device
  - · Weights stay within device
- Activations are communicated between GPUs
- Non efficient implementations may lead to inefficient usage of resources
  - Research area





# PARALLEL/DISTRIBUTED ML TRAINING



1. Model Parallelism: Memory usage and computation of a model distributed across devices

Two main variants:

- a) Pipeline parallelism
- b) Tensor parallelism

### **Tensor Parallelism**

- Tensor operations (e.g., computing a layer output) distributed across device
  - Allows larger, more computationally expensive models
- Activations are communicated between GPUs
- Further points for inefficiencies
  - A device might depend on the activations computed by more than one device



# DATA PARALLELISM: HOW TO TRAIN DEEP LEARNING MODELS ON MULTIPLE GPUS

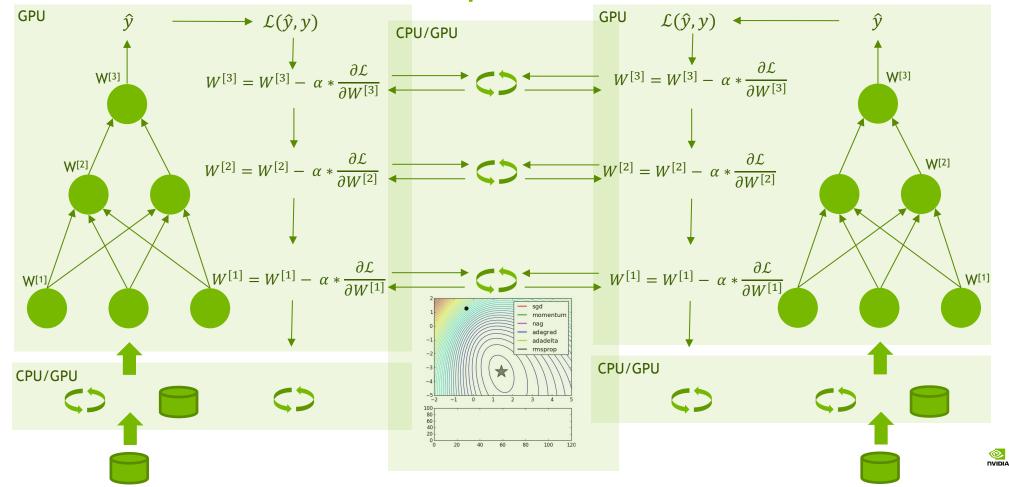
LAB 2, PART 1: INTRODUCTION TO DISTRIBUTED DATA PARALLEL (DDP)



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# TRAINING A NEURAL NETWORK

Multiple GPUs



# **MEET DDP**

Library for distributed DL

Prepackaged into and optimized for PyTorch, an increasingly popular platform among ML engineers and researchers





# USING DISTRIBUTED DATA PARALLEL (DDP)

# INITIALIZE THE PROCESS

```
def setup(global_rank, world_size):
    dist.init_process_group(backend="nccl", rank=global_rank,
    world_size=world_size)
```

## PIN GPU TO BE USED

```
device = torch.device("cuda:" + str(local_rank))
model = Net().to(device)
```

## ENCAPSULATE MODEL WITH DDP

```
model = nn.parallel.DistributedDataParallel(model,
device_ids=[local_rank])
```



# SYNCHRONIZE INITIAL STATE

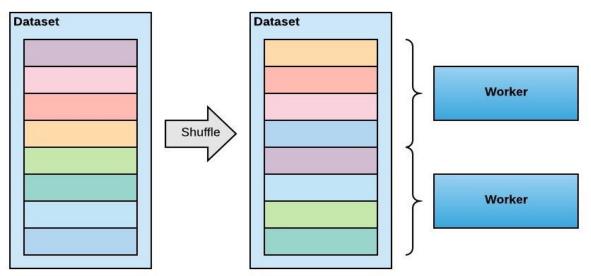
Handled internally by DDP across processes and nodes!



# DATA PARTITIONING

Shuffle the dataset

Partition records among workers



Train by sequentially reading the partition

After epoch is done, reshuffle and partition again





# DATA PARTITIONING

```
train_sampler =
torch.utils.data.distributed.DistributedSampler(train_set,
num_replicas=world_size, rank=global_rank)

train_loader =
torch.utils.data.DataLoader(train_set,
batch_size=args.batch_size, sampler=train_sampler)
```



## I/O ON ONLY ON ONE WORKER

```
download = True if local rank == 0 else False
if local rank == 0:
      train set = torchvision.datasets.FashionMNIST("./data",
download=download)
if global rank == 0:
      print("Epoch = {:2d}: Validation Loss = {:5.3f},
      Validation Accuracy = {:5.3f}".format(epoch+1, v loss,
      val accuracy[-1]))
```





LAB 3, PART 1: SCALING THE BATCH SIZE

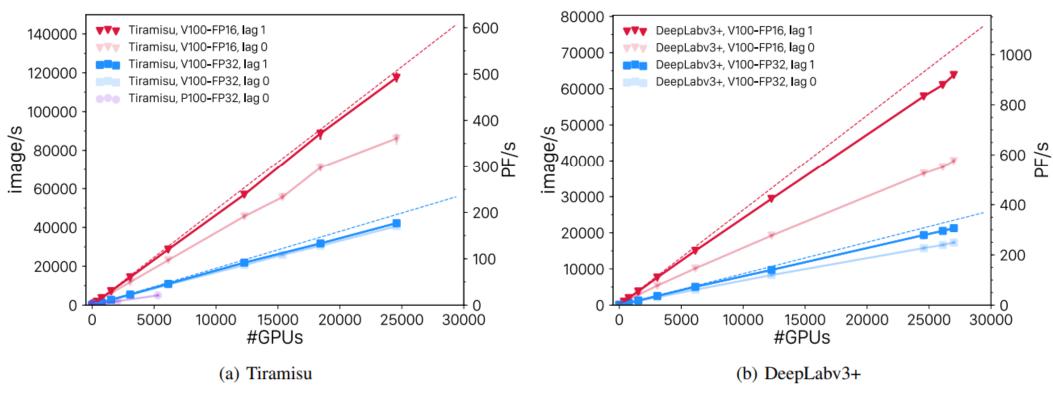


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# CAN WE INCREASE THE BATCH SIZE INDEFINITELY?

#### IN TERMS OF IMAGES / SECOND?

#### Yes

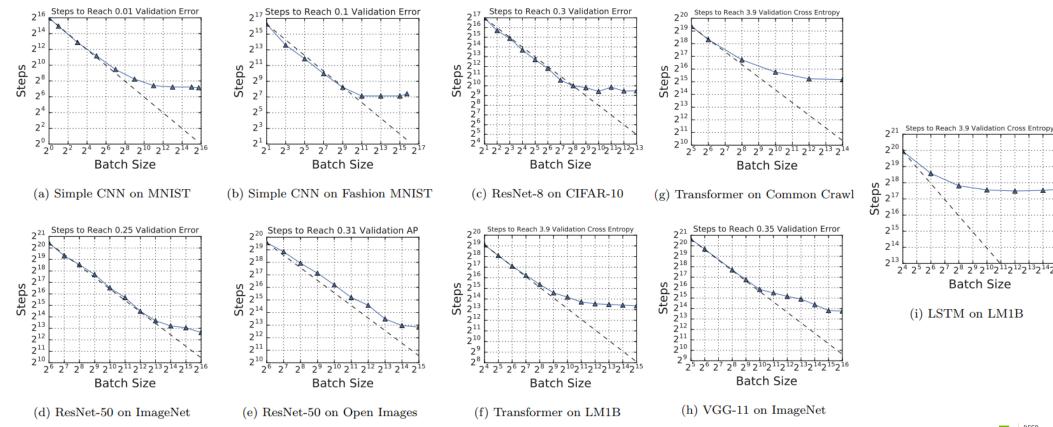


Kurth, T., Treichler, S., Romero, J., Mudigonda, M., Luehr, N., Phillips, E., ... & Houston, M. (2018, November). Exascale deep learning for climate analytics. In Proceedings of the International Conference for High Performance Computing, Networking, Storage, and Analysis (p. 51). IEEE Press. arXiv:1810.01993



#### IN TERMS OF STEPS TO CONVERGENCE?

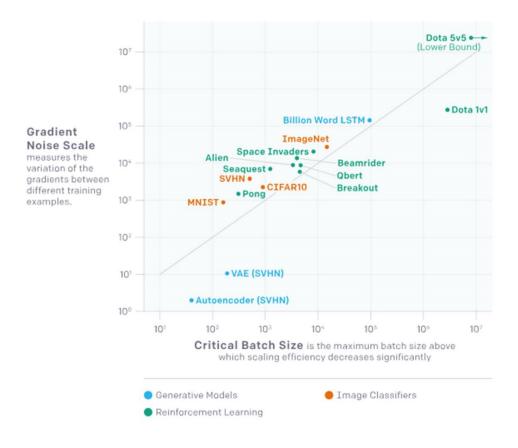
#### There are limits



Shallue, C. J., Lee, J., Antognini, J., Sohl-Dickstein, J., Frostig, R., & Dahl, G. E. (2018). Measuring the effects of data parallelism on neural network training. arXiv:1811.03600

### IN TERMS OF STEPS TO CONVERGENCE?

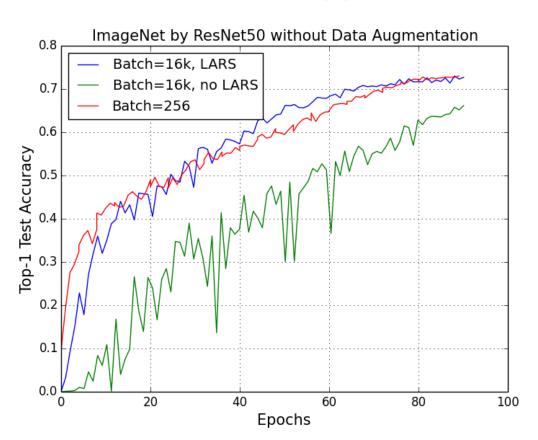
#### There are limits

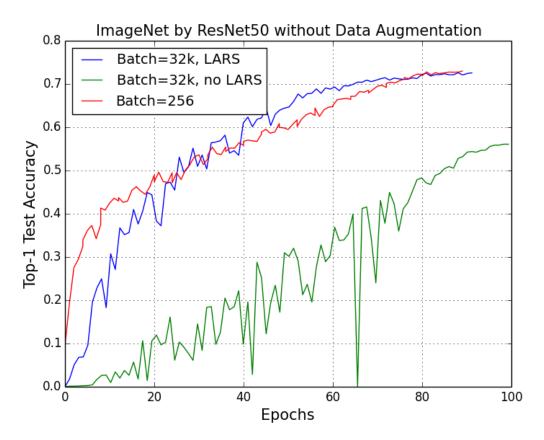




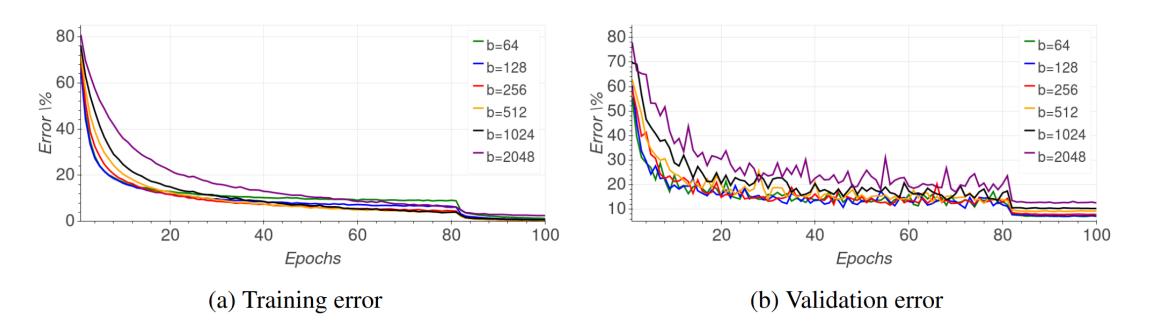
# LARGE MINIBATCH AND ITS IMPACT ON ACCURACY

#### Naïve approaches lead to degraded accuracy



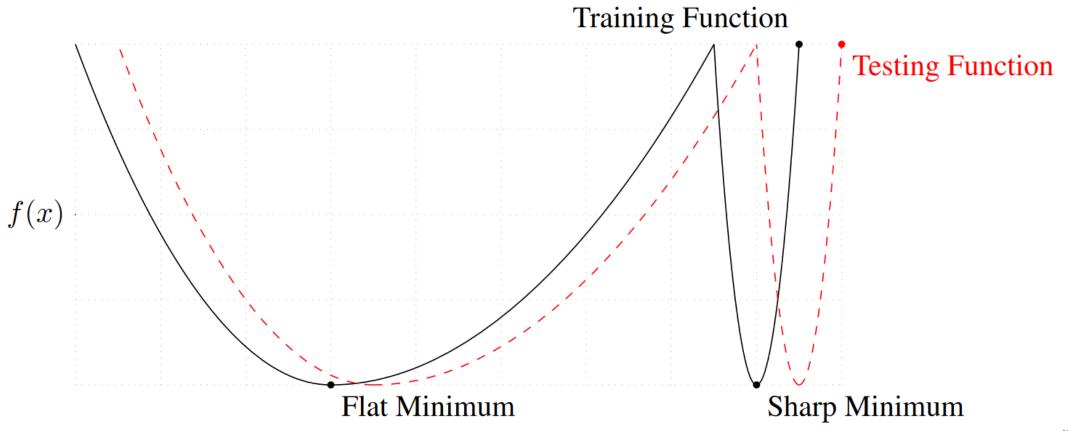


#### Naïve approaches lead to degraded accuracy

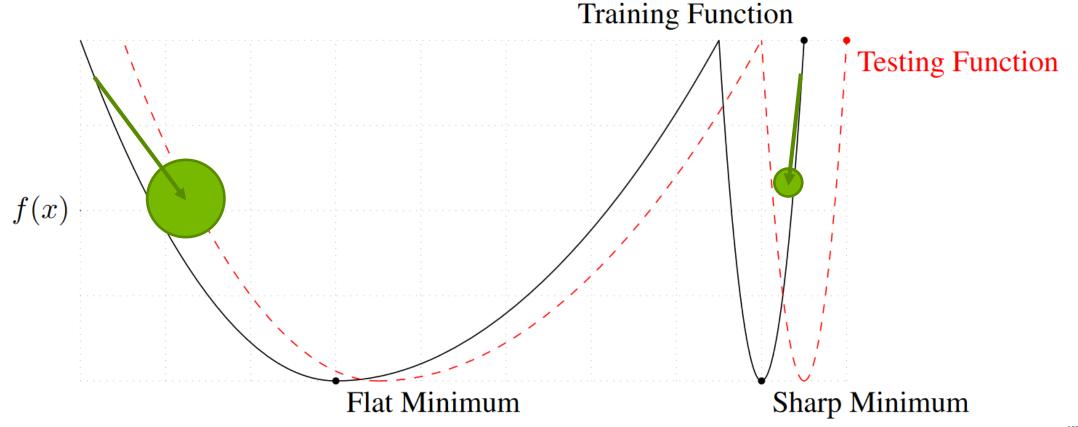




Why? Generalization and flatness of minima?



Why does it happen? Noise in the gradient update.



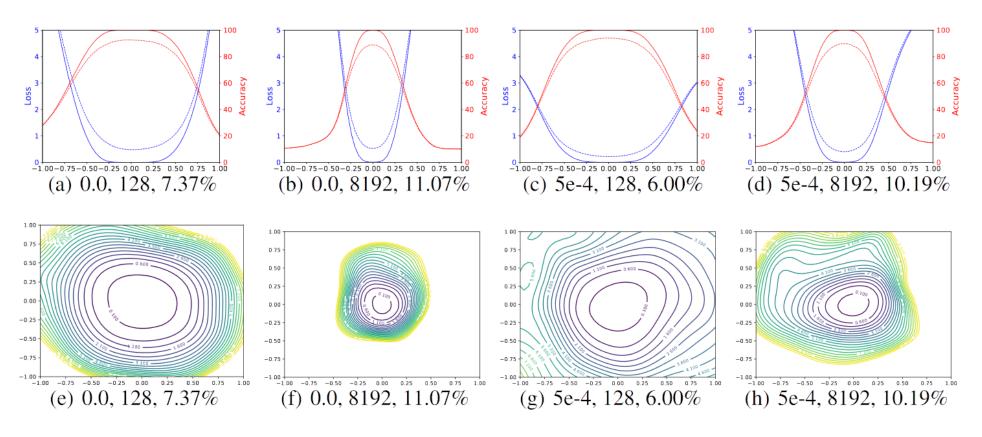


Figure 3: The 1D and 2D visualization of solutions obtained using SGD with different weight decay and batch size. The title of each subfigure contains the weight decay, batch size, and test error.





LAB 3, PART 2: OPTIMIZATION STRATEGIES



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# WHAT CAN WE DO TO IMPROVE THE OPTIMIZATION PROCESS?

- Manipulate the learning rate?
- Add noise to the gradient?
- Manipulate the batch size?
- Change the learning algorithm?

Early approaches: scaling the learning rate

"Theory suggests that when multiplying the batch size by k, one should multiply the learning rate by J(k) to keep the variance in the gradient expectation constant.

gradient expectation constant.  $\cos{(\Delta \mathbf{w}, \Delta \mathbf{w})} \approx \frac{\eta^2}{M} \left( \frac{1}{N} \sum_{n=1}^N \mathbf{g}_n \mathbf{g}_n^{\mathsf{T}} \right) \longrightarrow \eta \propto \sqrt{M}$ 

• •

Theory aside, for the batch sizes considered in this note, the heuristic that I found to work the best was to multiply the learning rate by k when multiplying the batch size by k. I can't explain this discrepancy between theory and practice."

In practice linear scaling is still frequently used.



#### Warmup strategies

- A lot of networks will diverge early in the learning process
- Warmup strategies address this challenge

**Gradual warmup.** We present an alternative warmup that gradually ramps up the learning rate from a small to a large value. This ramp avoids a sudden increase of the learning rate, allowing healthy convergence at the start of training. In practice, with a large minibatch of size kn, we start from a learning rate of  $\eta$  and increment it by a constant amount at each iteration such that it reaches  $\hat{\eta} = k\eta$  after 5 epochs (results are robust to the exact duration of warmup). After the warmup, we go back to the original learning rate schedule.



#### **Batch Normalization**

Batch normalization improves the learning process by minimizing drift in the distribution of inputs to a layer

It allows higher learning rates and reduces the need to use dropout

The idea is to normalize the inputs to all layers in every batch (this is more sophisticated than simply normalizing the input dataset)

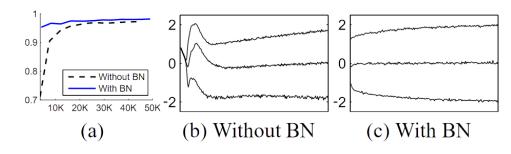


Figure 1: (a) The test accuracy of the MNIST network trained with and without Batch Normalization, vs. the number of training steps. Batch Normalization helps the network train faster and achieve higher accuracy. (b, c) The evolution of input distributions to a typical sigmoid, over the course of training, shown as  $\{15, 50, 85\}$ th percentiles. Batch Normalization makes the distribution more stable and reduces the internal covariate shift.



#### **Ghost Batch Normalization**

- The original batch normalization paper suggests using the statistics for the entire batch, but what should that mean when we have multiple GPUs?
- We can introduce additional noise by calculating smaller batch statistics ("ghost batches").
- Batch normalization is thus carried out in isolation on a per-GPU basis.

#### Adding noise to the gradient

- Keeps the covariance constant with changing batch size (as  $\sigma^2 \propto M$ )
- Does not change the mean

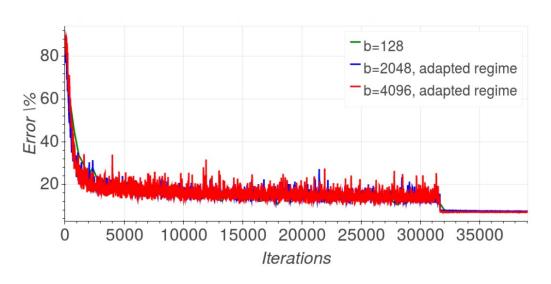
Furthermore, we can match both the first and second order statistics by adding multiplicative noise to the gradient estimate as follows:

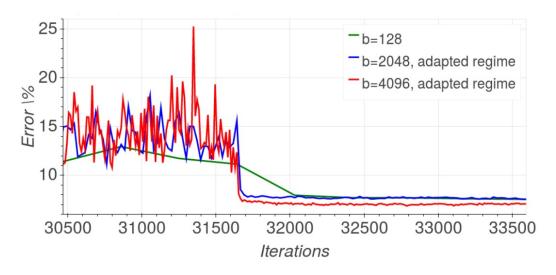
$$\hat{\mathbf{g}} = \frac{1}{M} \sum_{n \in B}^{N} \mathbf{g}_n z_n \,,$$

where  $z_n \sim \mathcal{N}\left(1, \sigma^2\right)$  are independent random Gaussian variables for which  $\sigma^2 \propto M$ . This can be verified by using similar calculation as in appendix section A. This method keeps the covariance constant when we change the batch size, yet does not change the mean steps  $\mathbb{E}\left[\Delta\mathbf{w}\right]$ .



#### Longer training with larger learning rate

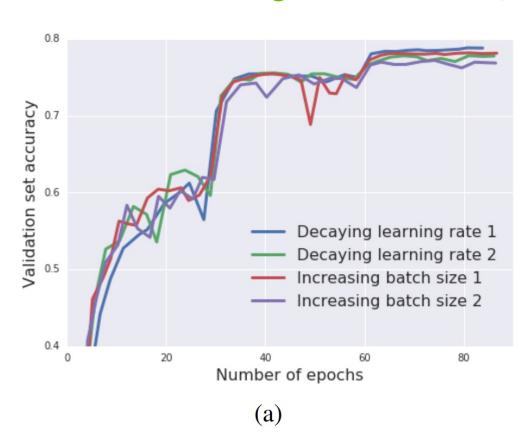


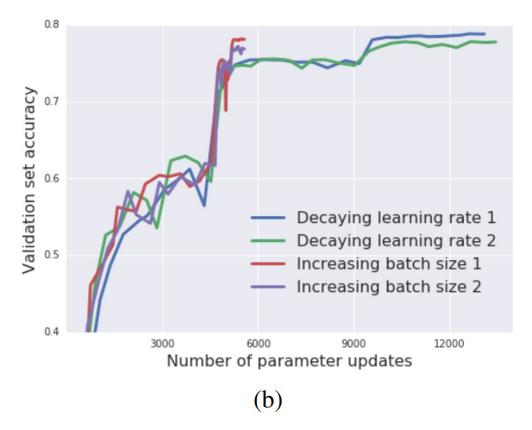


(a) Validation error

(b) Validation error - zoomed

Increasing the batch size, instead of learning rate decay









LARS: Layer-wise Adaptive Rate Scaling

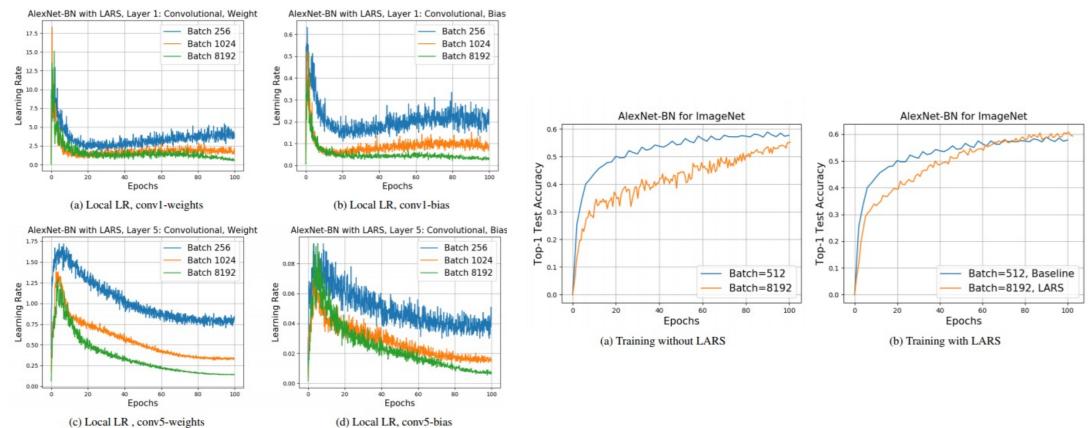


Figure 2: LARS: local LR for different layers and batch sizes



#### LARS: Layer-wise Adaptive Rate Scaling

Control magnitude of the layer k update through local learning rate  $\lambda_k$ :

$$\Delta w_k(t+1) = \lambda_k * G_k(w(t))$$

where:

 $G_k(w(t))$ : stochastic gradient of L with respect to  $w_k$ ,

 $\lambda_k$ : local learning rate for layer k, defined as

$$\lambda_k = \min(\gamma, \ \eta \cdot \frac{||w_k(t)||_2}{||G_k(w(t))||_2})$$

where

 $\eta$  is trust coefficient (how much we trust stochastic gradient)

 $\gamma$  is global learning rate policy (steps, exponential decay, ...)



LARC: Layer-wise learning rates with clipping; SGD with momentum is base optimizer

<u>LAMB</u>: Layer-wise learning rates; <u>Adam</u> as base optimizer

More successful than LARC at language models like BERT

NovoGrad: Moving averages calculated on a per-layer basis

Also useful in several different domains





